# A Novel Method for ICSI: Rotationally Oscillating Drill, Design and Control 

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## Problem Statement



Micro Injection Experiment

## Designing Minimally Invasive Mercury-Free $\mu$-drill for Micro Injection

## What is Micro-Injection?

Micro injection is a method widely used in cell biology.

-ICSI
(Intracytoplasmic sperm injection).
-Nuclear Transfer for cloning.


## Current Setup

## (for mouse ICSI)



Manipulator drive signal

## Current Feedback \& Controller



## Disadvantages

- Piezo-ICSI needs to have highly toxic mercury to increase success rate.
- The operation is highly dependent on human expertise.
- Piezo-ICSI devices are considerably expensive


## Amplitudes of the oscillations without mercury



Why does mercury increase the success rate?


## Amplitudes of the oscillations with mercury



## Euler method

E: Young's Modulus
I: Bending moment of inertia
$\rho$ : Mass per unit length
V : Shear force
M : Moment
w : Deformation function


Forcing in transverse direction
Moment around O

$$
\begin{array}{ll}
\frac{\partial V}{\partial x}=-\rho \frac{\partial^{2} w}{\partial t^{2}}+f \quad & \text { Thin beam theory } \\
& M(x, t)=E I \frac{\partial^{2} w}{\partial x^{2}}(x, t)
\end{array}
$$

$$
\frac{\partial M}{\partial x}=V
$$

Euler-Bernoulli beam equation

$$
E I \frac{\partial^{4} w}{\partial x^{4}}(x, t)+\rho \frac{\partial^{2} w}{\partial t^{2}}(x, t)=f(x, t)
$$

## Euler method

Separation of variables

$$
\mathrm{w}(\mathrm{x}, \mathrm{t})=\mathrm{T}(\mathrm{t}) \mathrm{U}(\mathrm{x})
$$

$$
\underbrace{\frac{\mathrm{EI}}{\rho} \frac{U^{\prime \prime \prime}}{U}}=\frac{\ddot{\mathrm{T}}}{\mathrm{~T}}=\omega^{2}
$$

Eigenvalues problem

$$
\begin{gathered}
\mathrm{U}(\mathrm{x})=\mathrm{C}_{\mathrm{i}}\left(\operatorname{Cosh}\left(\beta_{\mathrm{i}} \mathrm{x}\right)-\operatorname{Cos}\left(\beta_{\mathrm{i}} \mathrm{x}\right)+\alpha_{\mathrm{i}}\left(\operatorname{Sin}\left(\beta_{\mathrm{i}} \mathrm{x}\right)-\operatorname{Sinh}\left(\beta_{\mathrm{i}} \mathrm{x}\right)\right)\right. \\
\alpha_{i}=\frac{\operatorname{Cos}\left(\beta_{i} L\right)+\operatorname{Cosh}\left(\beta_{\mathrm{i}} L\right)}{\operatorname{Sin}\left(\beta_{i} L\right)+\operatorname{Sinh}\left(\beta_{i} L\right)} \\
\begin{aligned}
& \mathrm{w}(\mathrm{x}, \mathrm{t})=\sum_{\mathrm{i}=1}^{\infty}\left\{\mathrm { C } _ { \mathrm { i } } \left(\operatorname{Cosh}\left(\beta_{\mathrm{i}} \mathrm{x}\right)-\operatorname{Cos}\left(\beta_{\mathrm{i}} \mathrm{x}\right)+\alpha_{\mathrm{i}}\left(\operatorname{Sin}\left(\beta_{\mathrm{i}} \mathrm{x}\right)\right.\right.\right. \\
&\left.\left.-\operatorname{Sinh}\left(\beta_{\mathrm{i}} \mathrm{x}\right)\right)\left(\operatorname{Sin}\left(\omega_{\mathrm{i}} \mathrm{t}\right)\right)\right\}
\end{aligned}
\end{gathered}
$$

## Mode shapes



$$
\begin{aligned}
\omega_{1} & =10 \mathrm{~Hz} \\
\omega_{2} & =63 \mathrm{~Hz} \\
\omega_{3} & =175 \mathrm{~Hz} \\
\omega_{4} & =341 \mathrm{~Hz}
\end{aligned}
$$

## Galerkin method

- In this method two different models are analytically studied. The only difference between them is the existence of the mercury.
- The aim of this analysis is to simulate the difference between the transverse micro-dynamics of the drawn sections with and without the mercury.
- In these simulations, different from the Euler method an impulse force is applied very close to the base of the drawn section.


## Simulation models



## Galerkin Method



E: Young's Modulus
I : Bending moment of inertia
$\rho$ : Mass per unit length
$\phi_{i}(\mathrm{x})$ : Mode shape for the $\mathrm{i}_{\text {th }}$ mode of vibration.
$\mathrm{q}_{\mathrm{i}}(\mathrm{t})$ : Time dependent generalized coordinate for the $\mathrm{i}_{\mathrm{th}}$ mode

Kinetic energy
$\mathrm{T}=\frac{1}{2} \rho \int_{0}^{\mathrm{L}}\left(\frac{\partial \mathrm{y}}{\partial \mathrm{t}}\right)^{2} \mathrm{dx}$
Deformation function

$$
\mathrm{y}(\mathrm{x}, \mathrm{t})=\sum_{\mathrm{i}=1}^{\mathrm{n}} \phi_{\mathrm{i}}(\mathrm{x}) \mathrm{q}_{\mathrm{i}}(\mathrm{t})
$$

Ortogonality conditions between the mode shapes

$$
\begin{array}{cc}
\int_{0}^{\mathrm{L}} \rho \phi_{\mathrm{i}}(\mathrm{x}) \phi_{\mathrm{j}}(\mathrm{x}) \mathrm{dx}=\mathrm{N}_{\mathrm{i}} \delta_{\mathrm{ij}} & \int_{0}^{\mathrm{L}} \mathrm{E} I \phi_{\mathrm{i}}^{\prime \prime}(\mathrm{x}) \phi_{\mathrm{j}}^{\prime \prime}(\mathrm{x}) \mathrm{dx}=\mathrm{S}_{\mathrm{i}} \delta_{\mathrm{ij}} \\
\mathrm{~T}=\frac{1}{2} \sum_{\mathrm{i}=1}^{\mathrm{n}} \mathrm{~N}_{\mathrm{i}} \dot{q}_{\mathrm{i}}^{2} & \mathrm{U}=\frac{1}{2} \sum_{\mathrm{i}=1}^{\mathrm{n}} \mathrm{~S}_{\mathrm{i}} \mathrm{q}_{\mathrm{i}}^{2}
\end{array}
$$

## Galerkin Method

Lagrange equation

$$
\frac{\partial}{\partial \mathrm{t}}\left(\frac{\partial \mathrm{~L}}{\partial \dot{q}_{\mathrm{i}}}\right)-\frac{\partial \mathrm{L}}{\partial \mathrm{q}_{\mathrm{i}}}=\mathrm{Q} \quad \mathrm{Q}=\mathrm{F}(\mathrm{t}) \frac{\partial}{\partial \mathrm{q}_{\mathrm{i}}}\left(\sum_{\mathrm{i}=1}^{\mathrm{n}} \phi_{\mathrm{i}}\left(\mathrm{x}_{0}\right) \mathrm{q}_{\mathrm{i}}\right)
$$

$$
\mathrm{N}_{\mathrm{i}} \ddot{\mathrm{q}}_{\mathrm{i}}+\mathrm{S}_{\mathrm{i}} \mathrm{q}_{\mathrm{i}}=\mathrm{F}(\mathrm{t}) \phi_{\mathrm{i}}\left(\mathrm{x}_{0}\right) \quad \text { For } \mathrm{i}=1 . .3
$$

Laplace form

$$
\left(\mathrm{N}_{\mathrm{i}} \mathrm{~s}^{2}+\mathrm{S}_{\mathrm{i}}\right) \mathrm{Q}_{\mathrm{i}}(\mathrm{~s})=\mathrm{F}(\mathrm{~s}) \phi_{\mathrm{i}}\left(\mathrm{x}_{0}\right) \quad \text { For } \mathrm{i}=1 . .3
$$

Internal damping

$$
\mathrm{S}_{\mathrm{i}}=\mathrm{S}_{\mathrm{i}}+\mathrm{cs}
$$

## Galerkin method

Matrix form of the equations of motion for 3 modes

$$
\begin{gathered}
{\left[\begin{array}{ccc}
\mathrm{s}^{2} \mathrm{~N}_{1}+\mathrm{S}_{1}+\mathrm{cs} & 0 & 0 \\
0 & \mathrm{~s}^{2} \mathrm{~N}_{2}+\mathrm{S}_{2}+\mathrm{cs} & 0 \\
0 & 0 & \mathrm{~s}^{2} \mathrm{~N}_{3}+\mathrm{S}_{3}+\mathrm{cs}
\end{array}\right]\left[\begin{array}{l}
\mathrm{Q}_{1} \\
\mathrm{Q}_{2} \\
\mathrm{Q}_{3}
\end{array}\right]=\left[\begin{array}{l}
\mathrm{F}(\mathrm{~s}) \phi_{1}\left(\mathrm{x}_{0}\right) \\
\mathrm{F}(\mathrm{~s}) \phi_{2}\left(\mathrm{x}_{0}\right) \\
\mathrm{F}(\mathrm{~s}) \phi_{3}\left(\mathrm{x}_{0}\right)
\end{array}\right]} \\
\phi_{i}(x)=H_{i}\left[\operatorname{Sin}\left(\kappa_{i} x\right)-\operatorname{Sinh}\left(\kappa_{i} x\right)-\alpha_{i}\left(\operatorname{Cos}\left(\kappa_{i} x\right)-\operatorname{Cosh}\left(\kappa_{i} x\right)\right)\right] \\
\alpha_{i}=\frac{\operatorname{Sin}\left(\kappa_{i} L\right)+\operatorname{Sinh}\left(\kappa_{i} L\right)}{\operatorname{Cos}\left(\kappa_{i} L\right)+\operatorname{Cosh}\left(\kappa_{i} L\right)} \quad H_{i} \text { is defined by normalizing } \\
\rho \int_{0}^{L} \phi_{i}(x) \phi_{j}(x) d x=\rho
\end{gathered}
$$

> Deformation function

$$
\mathrm{y}(\mathrm{x}, \mathrm{t})=\sum_{\mathrm{i}=1}^{\mathrm{n}} \phi_{\mathrm{i}}(\mathrm{x}) \mathrm{q}_{\mathrm{i}}(\mathrm{t})
$$

## Motion of the Micro-Pipette

- The flexible pipette shows extensive lateral oscillations [1,2].
-The mercury increases the mass of the drawn section. Amplitudes of the lateral oscillations of the pipettes without the mercury are significantly higher than with the mercury [1,2].
-The natural frequencies of the pipette filled with the mercury are lower than the natural frequencies of the pipette without the mercury [1,2].

[^0]
## Natural Frequencies



| Damped natural Frequencies |  |
| :---: | :---: |
| With <br> mercury | Without <br> mercury |
| 7 Hz | 12 Hz |
| 50 Hz | 79 Hz |
| 139 Hz | 221 Hz |

## Goal <br>  <br> Rotationally Oscillating Drill Ros-Drill ${ }^{\ominus}$

## Rotationally Oscillating Drill Ros-Drill ${ }^{\odot}$




Rotation Profile

## Ros-Drill ${ }^{\oplus}$ Assembly and Controller



## Flowchart of the controller program



## Controller Design





## Modes of Operation

## 1. Sperm head isolation

## 2. Oocyte membrane piercing



## 1. Sperm Head-Tail Separation



## 2. Oocyte Membrane Piercing

## Reference and Actual Rotational Oscillatory Trajectories



## Drilling Protocol

1. Hold the egg with holding pipette
2. Set the parameters
i) Dimple depth ( $\boldsymbol{\delta}$ ) -
ii) Rotation angle amplitude ( $\theta$ ) -
iii) Rotation Frequency (f)-
iv) Rotation acceleration time $\left(\mathrm{T}_{0}\right)$ -
$90 \%$ of oocyte size
~0.6-1.2 deg (pp)
$100-500 \mathrm{~Hz}$
v) Duration $\left(T_{1}\right)$ -
0.6 sec
up to 3 sec
3. Create a dimple
4. Push the button and apply rotational oscillation with some negative suction until successful piercing


## Drilling Protocol cont'd

## Oolemma pierced rotational oscillations



## Prototype and Experimental Setup



## Prototype cont'd



## Preliminary Experiments



## Preliminary Experiments cont'd

| Experiments | injected | survived | survival \% | PN | cleaved | cleavage <br> $\%$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Month 1 |  |  |  |  |  |  |
| Exp 1 | 60 | 25 | $\mathbf{4 2 \%}$ | 25 | 22 | $\mathbf{8 8 \%}$ |
| Exp 2 | 20 | 6 | $\mathbf{3 0 \%}$ | 4 | 4 | $\mathbf{6 7 \%}$ |
| Exp 3 | 44 | 13 | $\mathbf{3 0 \%}$ | 9 | 9 | $\mathbf{6 9 \%}$ |
| Month 2 |  |  |  |  |  |  |
| Exp 1 | 70 | 19 | $\mathbf{2 7} \%$ | 15 | 15 | $\mathbf{7 9 \%}$ |
| Exp 2 | 96 | 31 | $\mathbf{3 2 \%}$ | 25 | 22 | $\mathbf{7 1 \%}$ |
| Exp 3 | 50 | 14 | $\mathbf{2 8} \%$ | 13 | 11 | $\mathbf{7 9} \%$ |
| Exp 4 | 72 | 20 | $\mathbf{2 8} \%$ | 19 | 17 | $\mathbf{8 5 \%}$ |

$$
\mathrm{A}=0.6^{\circ}, \mathrm{f}=100 \mathrm{~Hz}, \mathrm{~T}_{0}=0.5 \mathrm{sec} \text { and } \mathrm{T}_{1}=1 \mathrm{sec}
$$

Oocytes were collected from female B6D2F-1 strain mice, 10 weeks old, superovulated with 7.5 IU PMSG and 7.5 IU hCG at 48 -hour intervals, and sacrificed 14 hours after hCG injection. Embryo were cultured in CZB-G medium at $37^{\circ} \mathrm{C}$ in an atmosphere of 5\% CO2.

## Extensive Biological Experiments

## Success Rate <br> - Verification <br> -Comparison



Conducted at the University of California, Davis by a biologist.

$$
\mathrm{A}=0.3^{\circ}, \mathrm{f}=500 \mathrm{~Hz}, \mathrm{~T}_{0}=0.5 \mathrm{sec}
$$

## Experimental Results

| Method | Injected <br> $(\%)$ | Survivors <br> $(\%)$ | Developers <br> (2-cells, $\%)$ | Blastocysts <br> (\%) |
| :---: | :---: | :---: | :---: | :---: |
| Ros-Drill ICSI | $\mathbf{1 1 6 ( 1 0 0 )}$ | $\mathbf{9 5 ( 8 1 . 9 )}$ | $83(87.4)$ | $47(56.6)$ |
| Piezo ICSI | $111(100)$ | $106(95.5)$ | $103(97.2)$ | $76(73.8)$ |

Number of ova that survived, developed to 2-cell embryos and blastocyst after injection of sperm heads using either Ros-Drill-ICSI or Piezo-ICSI. The sperm heads were separated by freeze-thawing in Na-EGTA medium

| Method | 2-cell <br> embryos (\%) | 3-4-cell <br> embryos (\%) | Non-compacted <br> morulae (\%) | Compacted <br> morulae (\%) | Blastocysts <br> $(\%)$ | Total (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ros-Drill ICSI | $3(3.6)$ | $9(10.8)$ | $12(14.5)$ | $12(14.5)$ | $47(56.6)$ | $83(100)$ |
| Piezo ICSI | $7(6.8)$ | $8(7.8)$ | $7(6.8)$ | $5(4.9)$ | $76(73.8)$ | $103(100)$ |

Development of embryos (2-cell stage through blastocysts) after 96 hours of in vitro culture after injection of sperm heads using either Ros-Drill-ICSI or Piezo-ICSI.

## Experimental Results cont'd

| Method | $\begin{array}{c}\text { 2-cell } \\ \text { embryos (\%) }\end{array}$ | $\begin{array}{c}\text { 3-4-cell } \\ \text { embryos }(\%)\end{array}$ | $\begin{array}{c}\text { Non-compacted } \\ \text { morulae (\%) }\end{array}$ |  | $\begin{array}{c}\text { Compacted } \\ \text { morulae (\%) }\end{array}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Blastocysts |  |  |  |  |  |  |
| (\%) |  |  |  |  |  |  | \(\left.\begin{array}{c}Total <br>

embryos (\%)\end{array}\right]\)

Development of embryos (2-cell stage through blastocysts) after 96 hours of in vitro culture. Sperm heads were isolated by freeze-thaw in HCZB medium, Na-EGTA medium and Ros-Drill pulses.

| Sperm head preparation | No. <br> blastocysts | No. pups <br> born(\%) | No. pups <br> weaned(\%) |
| :---: | :---: | :---: | :---: |
| Freeze-thaw in HCZB | 36 | $\mathbf{9 ( 2 5 )}$ | $9(100)$ |
| Freeze-thaw in Na-EGTA | 47 | $\mathbf{2 0 ( 4 3 )}$ | $20(100)$ |
| Ros-Drill | 20 | $\mathbf{6 ( 3 0 )}$ | $6(100)$ |

Number of pups born and weaned after embryo transfer of blastocysts ; sperm heads were isolated by freeze-thaw in HCZB medium, Na-EGTA medium and Ros-Drill pulses.

## Experimental Results cont'd




[^0]:    [1] Kerem Ediz, Nejat Olgac, "Micro-dynamics of the piezo-driven pipettes in ICSI", Biomedical Engineering, IEEE Transactions on ,Volume:51
    [2] K. Ediz, N. Olgac, "Effect of Mercury Column on the Microdynamics of the Piezo-Driven Pipettes", ASME Journal of Biomechanical Engineering, Vol. 127, pp. 531-535, June 2005)

