

# **FIZ101E – Lecture 11**

## **Gravitation**

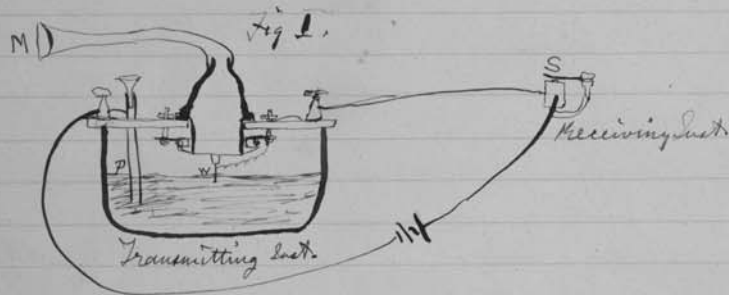


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# What did we cover last week?

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March 10<sup>th</sup> 1876



1. The improved instrument shown in Fig. I was constructed this morning and tried this evening. P is a brass pipe and W the platinum wire M the mouth piece and S the armature of the Receiving Instrument.

Mr. Watson was stationed in one room with the Receiving Instrument. He pressed one ear closely against S and closed his other ear with his hand. The Transmitting Instrument was placed in another room and the doors of both rooms were closed.

I then shouted into M the following sentence: "Mr. Watson - Come here - I want to

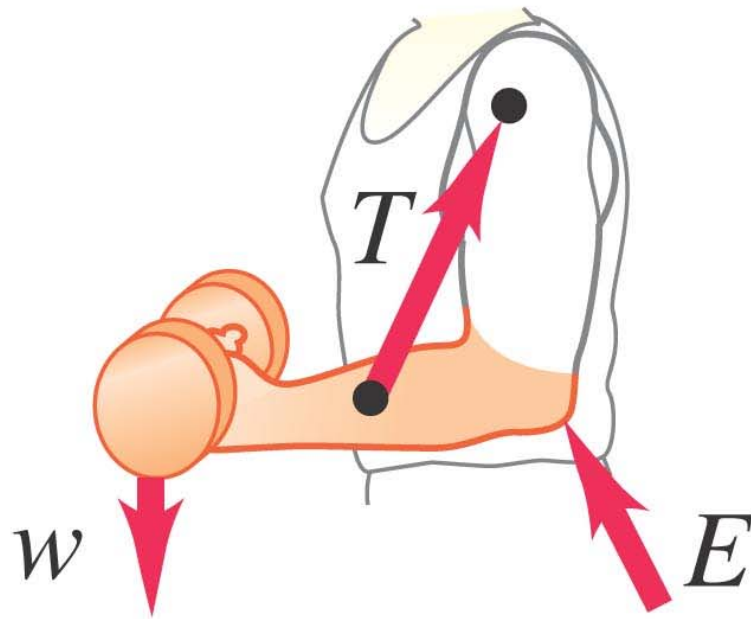
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see you". To my delight he came and declared that he had heard and understood what I said.

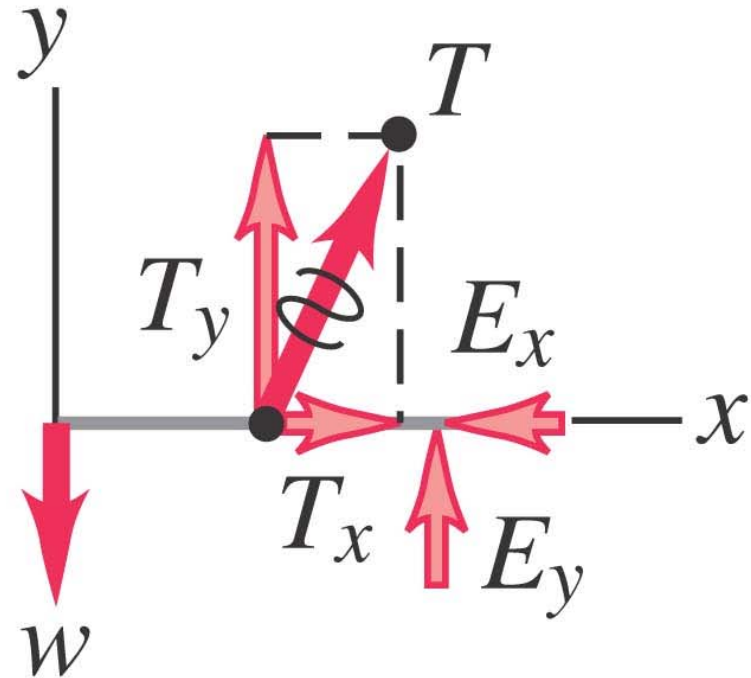
I asked him to repeat the words - ~~he said~~ He answered "You said 'Mr. Watson - come here - I want to see you'." We then changed places and I listened at S while Mr. Watson read a few passages from a book into the mouth piece M. It was certainly the case that articulate sounds proceeded from S. The effect was loud but indistinct and muffled.

If I had read beforehand the passage given by Mr. Watson I should have recognized every word. As it was I could not make out the sense - but an occasional word here and there was quite distinct. I made out "to" and "out" and "further"; and finally the sentence "Mr. Bell Do you understand what I say? Do-you-un-der-stand-what-I-say" came quite clearly and intelligibly. No sound was audible when the armature S was removed.

# Conditions for equilibrium of a rigid body



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## Rigid body in equilibrium

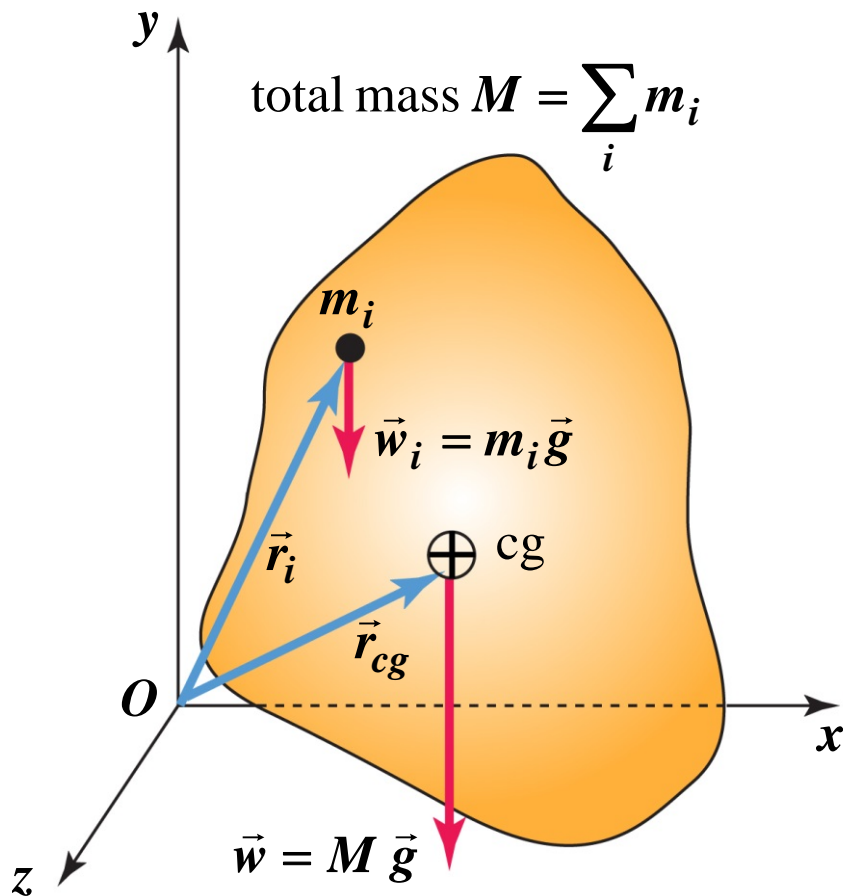
1) Vector sum of all forces must be zero:  $\sum F_x = 0 \quad \sum F_y = 0 \quad \sum F_z = 0$

AND

2) Sum of torques about any point must be zero:  $\sum \vec{\tau} = 0$

# Conditions for equilibrium of a rigid body

The torque due to the weight of a body can be found by assuming the entire weight  $\vec{w} = M \vec{g}$  is concentrated at the center of gravity (cg).



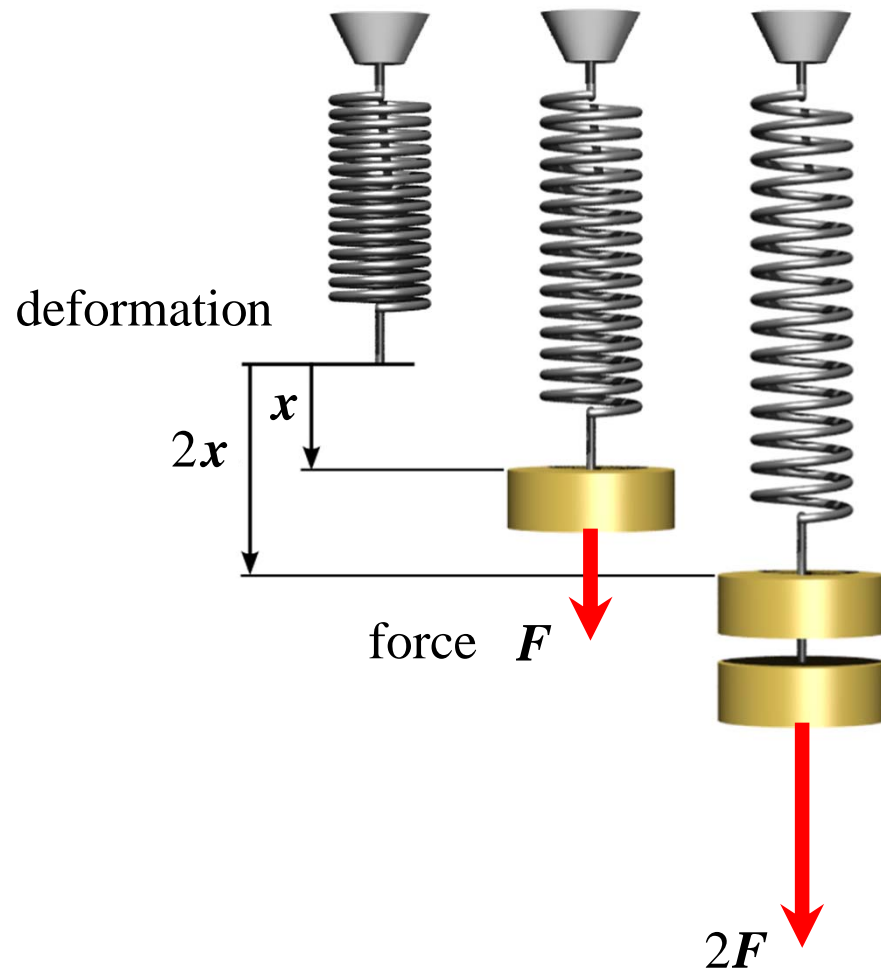
For a constant value of the acceleration of gravity  $\vec{g}$ , the center of gravity is identical to the center of mass (cm)

$$\vec{r}_{cg} = \vec{r}_{cm} = \frac{m_1 \vec{r}_1 + m_2 \vec{r}_2 + \dots}{m_1 + m_2 + \dots} = \frac{\sum_i m_i \vec{r}_i}{\sum_i m_i}$$

# Stress, strain, and Hooke's law

## Hooke's law

In elastic deformations, stress (force per unit area) is proportional to strain (fractional deformation). The proportionality constant is called the elastic modulus.

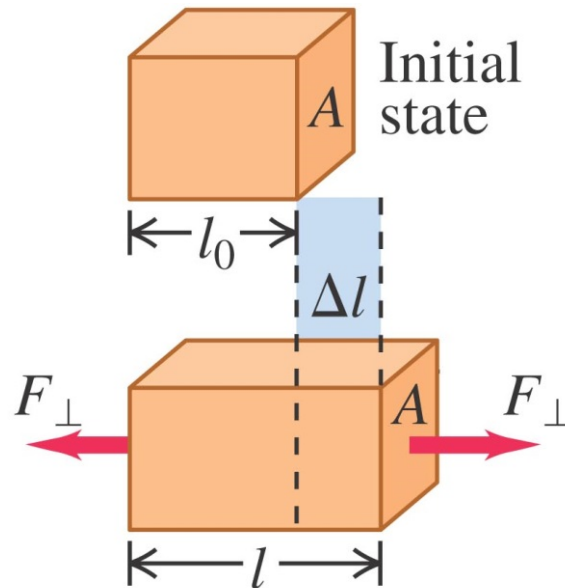


$$\frac{\text{stress}}{\text{strain}} = \text{elastic modulus}$$

# Tensile and compressive stress

$$\text{Tensile stress} = \frac{F_{\perp}}{A}$$

$$\text{Tensile strain} = \frac{\Delta l}{l_0}$$



Tensile stress

→ tensile force per unit area

Tensile strain

→ fractional change in length

$F_{\perp}$  ... tensile force

$A$  ... area

$\Delta l$  ... change in length

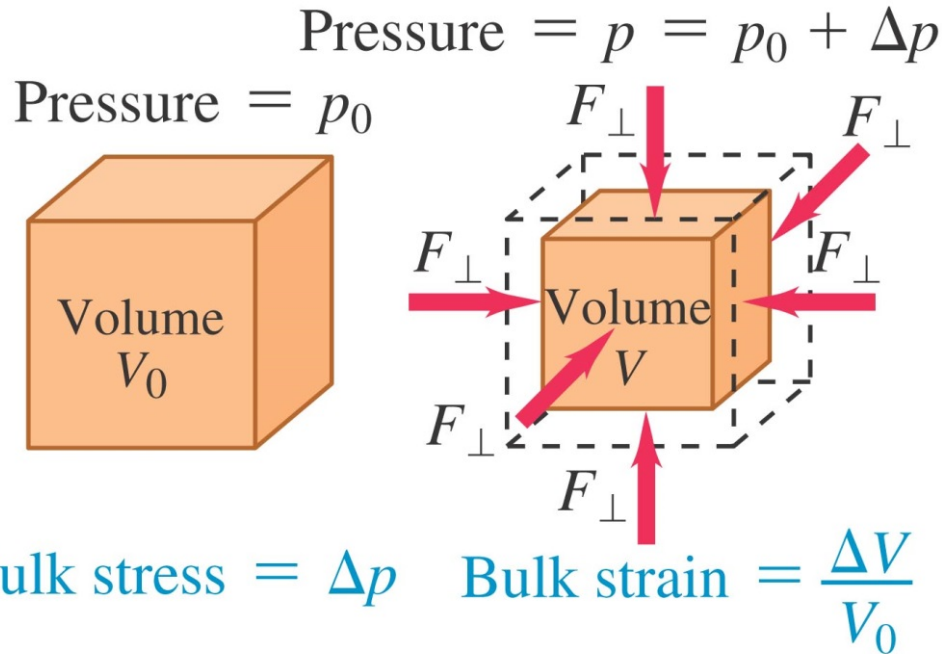
$l_0$  ... original length

Young's elastic modulus

$$Y = \frac{\text{tensile stress}}{\text{tensile strain}} = \frac{F_{\perp} / A}{\Delta l / l_0} = \frac{F_{\perp} l_0}{A \Delta l}$$

Compressive stress and strain are defined in the same way

# Bulk stress



Bulk stress

→ pressure change

Bulk strain

→ fractional change in volume

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$\Delta p$  ... pressure change

$\Delta V$  ... volume change

$V_0$  ... original volume

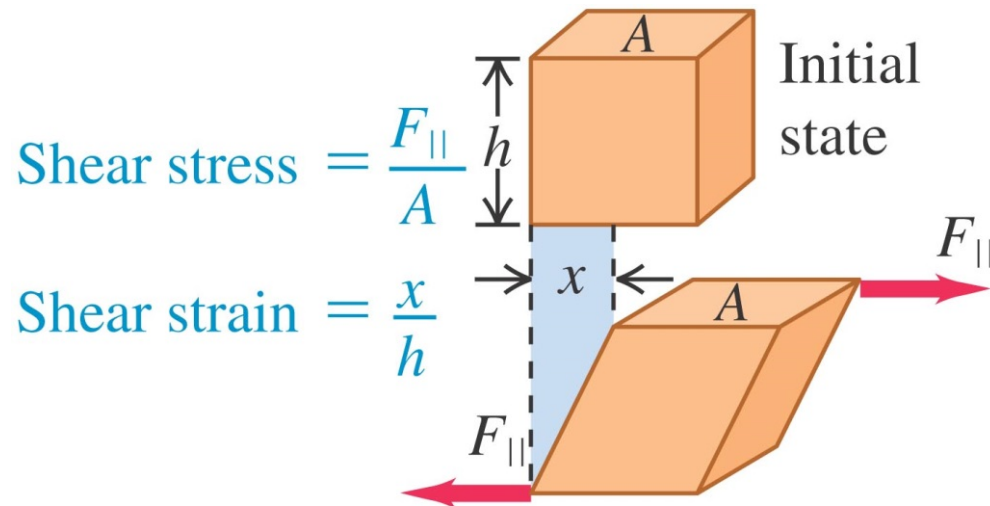
Bulk elastic modulus

$$B = \frac{\text{bulk stress}}{\text{bulk strain}} = -\frac{\Delta p}{\Delta V / V_0} = -V_0 \frac{\Delta p}{\Delta V}$$

Compressibility:

$$k = \frac{1}{B} = -\frac{1}{V_0} \frac{\Delta V}{\Delta p}$$

# Shear stress



Shear stress

→ tangential force per unit area

Shear strain

→ displacement of one side  
normalized by the transverse  
dimension

$F_{\parallel}$  ... tangential force

$A$  ... area

$x$  ... displacement

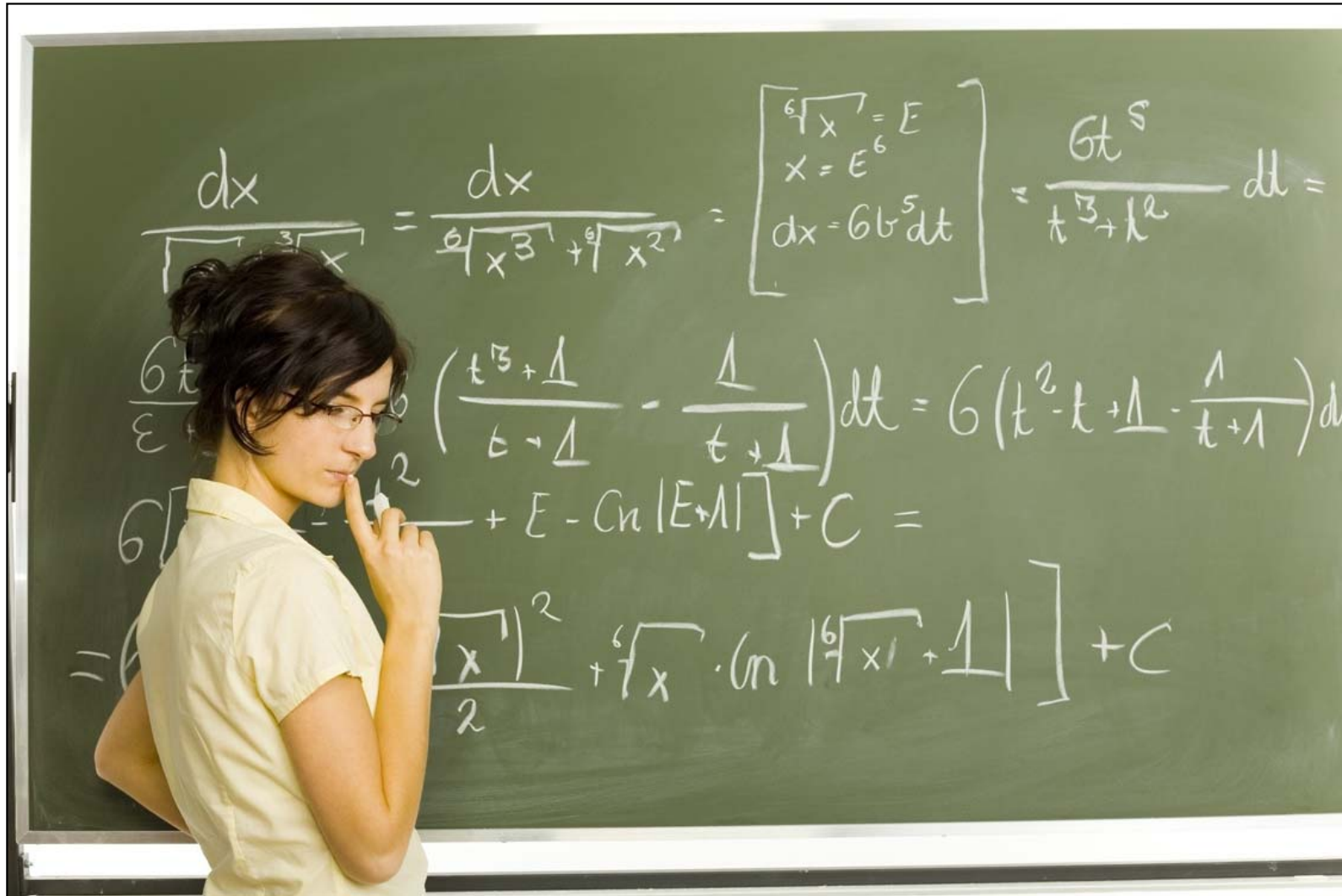
$h$  ... transverse dimension

Shear elastic modulus

$$S = \frac{\text{shear stress}}{\text{shear strain}} = \frac{F_{\parallel} / A}{x / h} = \frac{F_{\parallel} h}{A x}$$



# What will we cover today?



# Lesson plan

- 1. Newton's law of gravitation**
- 2. Weight**
- 3. Gravitational potential energy**
- 4. The motion of satellites**
- 5. Kepler's laws and the motion of planets**
- 6. Black holes**